Claims

What is claimed is:

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- 1. Method for monitoring the stability of the carrier frequency (ω_i) of identical transmitted signals $(s_i(t))$ of several transmitters $(S_1,...,S_i,...,S_n)$ of a single-frequency network by evaluating the phase position of a received signal $(e_i(t))$ associated with a transmitted signal $(s_i(t))$ of a transmitter (S_i) with reference to a received signal $(e_0(t))$ of a reference transmitter (S_0) , both of which are received by a receiver device (E) positioned within the transmission range of the single-frequency network.
 - 2. Method according to claim 1,

characterised by

a calculation (S70) of a carrier-frequency 20 displacement $(\Delta\omega_i)$ of a carrier frequency (ω_i) of a transmitter (S_i) relative to a reference carrier frequency (ω_0) of the reference transmitter (S_0) from a phase-displacement difference $(\Delta\Delta\Theta_{i}(t_{B2}-t_{B1}))$ caused by the carrier-frequency displacement $(\Delta\omega_i)$ 25 of this transmitter between a phase displacement $(\Delta\Theta_{i}(t_{B2}))$ at least at one second observation time (t_{B2}) and a phase displacement $(\Delta\Theta_{i}(t_{B1}))$ at a first observation time (t_{B1}) of a received signal $(e_i(t))$ of this transmitter (Si) associated with the 30 transmitted signal (s_i(t)) relative to a received signal $(e_0(t))$ of the reference transmitter (S_0) associated with the transmitted signal $(s_0(t))$.

3. Method for monitoring the stability of the carrier frequency according to claim 2,

characterised in that

the calculation (S70) of the carrier-frequency displacement ($\Delta\omega_{i}$) of the carrier frequency (ω_{i}) of the transmitter (S_{i}) relative to the carrier frequency (ω_{0}) of the reference transmitter (S_{0}) from the phase-displacement difference ($\Delta\Delta\Theta_{i}$ (t_{B2}-t_{B1})) is preceded by the procedural stages listed below:

- determination (S10) of a transmission function $(H_{SFN}(f)) \mbox{ of the transmission channel from the } \\ \mbox{transmitters } (S_1,...,S_i,...,S_n) \mbox{ to the receiver device } \\ (E),$

- calculation (S20) of a characteristic of a complex, time-discrete, summated impulse response $(h_{SFN1}(t))$ at the first observation time (t_{B1}) and a characteristic of a complex, time-discrete, summated impulse response $(h_{SFN2}(t))$ at the second observation time (t_{B2}) of the transmission channel respectively from the transmission function $(H_{SFN}(f))$ of the transmission channel,

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- masking (S30) of a characteristic of a complex impulse response $(h_{SFN1i}(t))$ at the first observation time (t_{B1}) and of a characteristic of a complex impulse response $(h_{SFN2i}(t))$ at the second observation time (t_{B2}) for every transmitter (S_i) of the single-frequency network respectively from the characteristic of the complex, summated impulse response $(h_{SFN1}(t))$ at the first observation time (t_{B1}) and from the characteristic of the complex,

summated impulse response ($h_{SFN2}(t)$) at the second observation time (t_{B2}),

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- determination (S40) of a phase characteristic (arg($h_{SFN1i}(t)$)) of the complex impulse response ($h_{SFN1i}(t)$) at the first observation time (t_{B1}) and of a phase characteristic (arg($h_{SFN2i}(t)$)) of the complex impulse response ($h_{SFN2}(t)$) at the second observation time (t_{B2}) for every transmitter (S_i) of the single-frequency network,
- calculation (S50) of the phase-displacement difference ($\Delta\Delta\Theta_{i}(t_{B2}-t_{B1})$) between a phase displacement ($\Delta\Theta_{i}(t_{B2})$) at the second observation time (t_{B2}) and a phase displacement ($\Delta\Theta_{i}(t_{B1})$) at the first observation time (t_{B1}) by subtraction of a phase characteristic (arg($h_{SFN1i}(t)$)) of the complex impulse response (arg($h_{SFN1i}(t)$)) at the first observation time (t_{B1}) from a phase characteristic (arg($h_{SFN2i}(t)$)) of the complex impulse response ($h_{SFN1i}(t)$) at the second observation time (t_{B2}) of the respective transmitter (S_{i}).
- 4. Method for monitoring the stability of the carrier frequency according to claim 3, characterised by
 - increasing (S60) the phase-displacement difference ($\Delta\Delta\Theta_{i}$ (t_{B2}-t_{B1})) by the factor 2* π in the case of a decrease in the phase-displacement difference ($\Delta\Delta\Theta_{i}$ (t_{B2}-t_{B1})) to the value - π or below and
- reducing (S65) the phase-displacement difference $(\Delta\Delta\Theta_{\rm i}\,(t_{\rm B2}-t_{\rm B1})) \mbox{ by the factor } -2*\pi \mbox{ in the case of an}$

increase in the phase-displacement difference $(\Delta\Delta\Theta_{i}\,(\,t_{B2}-t_{B1})\,)\ \ above\ the\ value\ \pi\,.$

5. Method for monitoring the stability of the carrier frequency according to claim 3 or 4,

characterised in that

in the case of digital terrestrial TV, the transmission function of the transmission channel from the transmitters $(S_1, ..., S_i, ..., S_n)$ to the receiver device (E) is determined from the DVB-T symbols of scattered pilot carriers of received signals $(e_i(t))$ of the transmitters $(S_1, ..., S_i, ..., S_n)$ modulated according to the orthogonal-frequency-division-multiplexing (OFDM) method.

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6. Method for monitoring the stability of the carrier frequency according to claim 3,

characterised in that

the calculation (S20) of a characteristic of a complex, time-discrete, summated impulse response $h_{SFN1/2}(t)$ at the discrete first observation time t_{B1} of the transmission channel is derived from the transmission function $H_{SFN}(f)$ of the transmission channel using the Fourier transform according to the formula:

$$h_{SFN1/2}(t) = \sum_{k=0}^{N_F-1} H_{SFN}(k) * e^{j2\pi kt/N_F}$$

wherein

30 $H_{SFN}(f)$ denotes the transmission function or respectively the frequency response of the transmission channel, N_F denotes the number of sampling values for the discrete Fourier transform,

	k	denotes the discrete frequency
		values,
	t	denotes the sampling times of the
		time-discrete, summated impulse
5		response of the transmission channel
		and
	1/2	denotes the index for the observation
		time t_{B1} or respectively t_{B2} .

10 7. Method for monitoring the stability of the carrier frequency according to claim 6,

characterised in that

the calculation (S50) of the phase-displacement difference ($\Delta\Delta\Theta_i(t_{B2}-t_{B1})$) for each transmitter S_i of the single-frequency network is derived according to the formula:

$$\Delta\Delta\Theta_{i}(t_{B2}-t_{B1}) = arg(h_{SFN2i}(t)) - arg(h_{SFN1i}(t))$$

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i denotes the index for the transmitter $$S_{\rm i}$$

arg($h_{SFN2i}(t)$) denotes the phase characteristic of the complex impulse response $h_{SFN2i}(t)$ at the observation time t_{B2} of the transmitter S_i and

 $\label{eq:argham} \text{arg}\left(h_{SFN1\,i}\left(t\right)\right) \text{denotes the phase characteristic of} \\ \text{the complex impulse response } h_{SFN1\,i}\left(t\right) \\ \text{at the observation time } t_{B1} \text{ of the} \\ \text{transmitter } S_i \,.$

8. Method for monitoring the stability of the carrier frequency according to claim 7,

characterised in that

the calculation (S70) of the carrier-frequency displacement $\Delta\omega_i$ of the transmitter S_i relative to the carrier frequency ω_0 of the reference transmitter of the single-frequency network is derived according to the formula:

$$\Delta\omega_{\rm I} = \Delta\Delta\Theta_{\rm i} (t_{\rm B2}-t_{\rm B1})/(t_{\rm B2}-t_{\rm B1})$$

wherein

C,

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10 i denotes the index for the transmitter S_{i} ,

 $\Delta\Delta\Theta_{\rm i}\,(t_{\rm B2}-t_{\rm B1})$ denotes the phase position difference $\Delta\Delta\Theta_{\rm i}\,(t_{\rm B2}-t_{\rm B1})\mbox{ for the transmitter $S_{\rm i}$ of the single-frequency network and $t_{\rm B1},\ t_{\rm B2}$$ denote the observation times.

9. Method for monitoring the stability of the carrier frequency according to claim 8,

characterised in that

to allow an unambiguous identification of the permanent carrier-frequency displacement $\Delta \omega_i$ of the transmitter S_i in the single-frequency network relative to the carrier frequency ω_0 of the reference transmitter S_0 at several observation times t_{Bj} , the following procedural stages are implemented repeatedly:

- calculation (S20) of the characteristic of the complex, time-discrete, summated impulse response $h_{SFNj}(t)$ and $(h_{SFN(j+1)}(t)$ at the observation times t_{Bj} and $t_{B(j+1)}$,

- masking (S30) of the characteristic of the complex impulse response $h_{\text{SFNji}}(t)$ and $h_{\text{SFN(j+1)i}}(t)$ at

the observation times t_{Bj} and $t_{B(j+1)}$ for every transmitter S_i of the single-frequency network,

- determination (S40) of the phase characteristics $\arg \left(h_{SFNji}(t) \right) \ \text{and} \ \arg \left(h_{SFN(j+1)i}(t) \right) \ \text{of the complex}$ impulse responses $h_{SFNji}(t) \ \text{and} \ h_{SFN(j+1)i}(t) \right) \ \text{at the}$ observation times $t_{Bj} \ \text{and} \ t_{B(j+1)},$
- calculation (S50) of the phase-displacement difference $(\Delta\Delta\Theta_i(t_{B(j+1)}-t_{Bj}))$ between the phase displacement $\Delta\Theta_i(t_{B(j+1)})$ at the observation time $t_{B(j+1)}$ and the phase displacement $\Delta\Theta_i(t_{Bj})$ at the observation time t_{Bj} for every transmitter S_i of the single-frequency network,

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- increasing (S60) the phase-displacement difference $\Delta\Delta\Theta_i(t_{B(j+1)}-t_{Bj})$ by the factor $2^*\pi$ in the case of a decrease in the phase-displacement difference $(\Delta\Delta\Theta_i(t_{B(j+1)}-t_{Bj}))$ to the value $-\pi$ or below,

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- reducing (S65) the phase-displacement difference $(\Delta\Delta\Theta_{i}(t_{B(j+1)}-t_{Bj})) \text{ by the factor } -2*\pi \text{ in the case of an increase in the phase-displacement difference}$ $\Delta\Delta\Theta_{i}(t_{B(j+1)}-t_{Bj}) \text{ above the value } \pi \text{ and}$

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- calculation (S70) of the carrier-frequency displacement $\Delta\omega_{ij}$ of the transmitter S_i relative to the carrier frequency ω_0 of the reference transmitter of the single-frequency network at several observation times t_{Bj} ;

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and that following this, an averaging (S80) of all carrier-frequency displacements $\Delta\omega_{ij}$ of every

transmitter S_i relative to the carrier frequency ω_0 of the reference transmitter S_0 of the single-frequency network calculated respectively in procedural stage (S70), is implemented at the observation times t_{B_i} .

10. Method for monitoring the stability of the carrier frequency according to claim 9,

characterised in that

- the averaging (S80) of all carrier-frequency displacements $\Delta \omega_{ij}$ of every transmitter S_i relative to the carrier frequency ω_0 of a reference transmitter S_0 of the single-frequency network calculated in procedural stage (S70), is implemented using a recursive method.
- 11. Device for monitoring the stability of the carrier frequency (ω_i) of identical transmitted signals $s_i(t)$ of several transmitters $(S_1, ..., S_i, ..., S_n)$ of a single-frequency network comprising:
 - a receiver device (E),
- a unit (11) for determining a transmission function $H_{SFN}(f)$ of a transmission channel of several transmitters $(S_1,...,S_i,...,S_n)$ of the single-frequency network to the receiver device (E) disposed within the transmission range of the single-frequency network,

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- a unit (12) for implementing an inverse Fourier transform,

- a unit (13) for masking a impulse response $(h_{SFNi}(t))$ for every transmitter (S_i) from the summated impulse response $(h_{SFN}(t))$,

- a unit (14) for determining the phase characteristic (arg($h_{SFNi}(t)$)) of the impulse response ($h_{SFNi}(t)$) for every transmitter (S_i),

- a unit (15) for calculating the phase- displacement difference $(\Delta\Delta\Theta_{i}(t_{B(j+1)}-t_{Bj}))$ of the phase displacement $(\Delta\Theta_{i})$ of a transmitter (S_{i}) relative to a reference transmitter (S_{0}) at least at two different times $((t_{B1},-t_{Bj+1}))$ and the carrier-frequency displacement $(\Delta\omega_{i})$ of every transmitter (S_{i}) relative to the carrier frequency (ω_{0}) of the reference transmitter (S_{0}) and

- a unit (2) for presenting the calculated carrier-frequency displacement $(\Delta\omega_i)$ of every transmitter (S_i) relative to the carrier frequency (ω_0) of the reference transmitter (S_0) of the single-frequency network.

12. Device for monitoring the stability of the carrier wave (ω_i) of identical transmitted signals $s_i(t)$ of several transmitters $(S_1,...,S_i,...,S_n)$ of a single-frequency network comprising:

- a receiver device (E),

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- a unit (16) for determining a transmission function $(H_{SFN}(f))$ from pilot carriers of the received signal $(e_i(t))$,

- a unit (13) for masking a impulse response $(h_{SFNi}(t))$ for every transmitter (S_i) from the summated impulse response $(h_{SFN}(t))$,
- a unit (14) for determining the phase characteristic (arg($h_{SFNi}(t)$) of the impulse response ($h_{SFNi}(t)$) for every transmitter (S_i),
- a unit (15) for calculating the phase- displacement difference $(\Delta\Delta\Theta_{i}(t_{B(j+1)}-t_{Bj}))$ of the phase displacement $\Delta\Theta_{i}$ of a transmitter (S_{i}) relative to a reference transmitter (S_{0}) at least at two different times $(t_{Bj}-t_{B(j+1)})$ and the carrier-frequency displacement $(\Delta\omega_{i})$ of every transmitter relative to the carrier frequency (ω_{0}) of the reference transmitter (S_{0}) and
 - a unit (2) for presenting the calculated carrier-frequency displacement $(\Delta\omega_i)$ of every transmitter (S_i) relative to the carrier frequency (ω_0) of the reference transmitter (S_0) of the single-frequency network.

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13. Device for monitoring the stability of the carrier frequency according to claim 11 or 12, characterised in that the unit (2) for presenting the calculated carrier-frequency displacement $(\Delta \omega_i)$ of every transmitter (S_i) relative to the carrier frequency (ω_0) of the reference transmitter (S₀) comprises a tabular

and/or graphic display device.